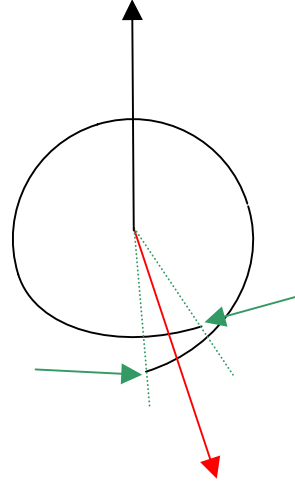


Calculation of bearing from rotator feedback resistor

Definition of variable names:



Name	Symbol	Range	Description
Bearing	B	0 to 3599	Normal meaning, West = 270°, North = 0° etc. Defined in units of $1/10^\circ$ for integer values
Zero Offset	Z	0 to 3599	Bearing of the zero point, where the feedback resistor track overlaps itself. Units of $1/10^\circ$
Theta	Th	< 0 to > 3600 Negative values are possible	Angle around feedback potentiometer track. Defined as Th = 0° when Bearing = Z. Units of $1/10^\circ$. The value can range from below 0° to above 360° depending on track overlap.
Resistance	Rpot	Rmin - Rmax	Resistance of track for this Th
A/D Reading	N	(0) to < Nmax	Output of A/D converter, reading the voltage delivered by the potentiometer formed by Rtop and Rpot when fed from Vin = K * Vref
Position	P	(> 0) to (< 4095)	Calculated and normalised value of feedback potentiometer position.
Gradient	M	Signed Integer	Gradient of the line relating Th to P
y Intercept	C	0 – 3599	Intercept of the line relating Th to P

Define values of K' and Rtop to maximise the dynamic range of the A/D as Rpot varies over its range. K' is the multiplication of Vref to give Vin, feeding the top of the potential divider.

For example, if Rtop = Rmax, maximum output voltage from the potential divider is Vin / 2, so the dynamic range is at maximum for Vin = 2 * Vref. This is then scaled by the full scale output value of the A/D, so for a 10 bit converter, K = 1024 * K' = 2048.

$$N \text{ (A/D reading)} = R_{\text{pot}} / (R_{\text{pot}} + R_{\text{top}}) * K \quad K = V_{\text{in}} / V_{\text{ref}} * N_{\text{full scale}} \\ K = 2048 \text{ for } V_{\text{top}}/V_{\text{ref}} = 2 \text{ and } N_{\text{FSD}} = 1024$$

$$P \text{ (Position)} = N / (K - N) * 4096$$

Position around track
Scaled by 4096 for arithmetic accuracy.
P may change in either direction with Th depending on potentiometer connections

$$\text{Th (Theta)} = (M * P) / 16384 + C$$

M = gradient, C = intercept
Based on units of $1/10^\circ$ and with M suitably scaled to minimise arithmetic error. M may be positive or negative, and Th may be negative for low values of P

$$B \text{ (Bearing)} = (\text{Th} + Z) \text{ MOD } 3600 \quad \text{Units of } 1/10^\circ$$

Reverse calculations to derive M and C from two pairs of Bearing / P measurements.

Determine Z (the bearing of the zero position) from measurement.

Rotate to two known bearings B_1 and B_2 , measure the resulting values of P_1 and P_2

$$\begin{array}{lll} Th_1 & = & (B_1 - Z) \text{ MOD } 3600 \\ Th_2 & = & (B_2 - Z) \text{ MOD } 3600 \end{array} \quad \begin{array}{l} \text{With all angles defined in} \\ \text{integer units of } 1/10^\circ \end{array}$$

Calculate Gradient, M, and y-intercept, C :

$$\begin{array}{lll} M & = & 16384 * (Th_1 - Th_2) / (P_1 - P_2) \\ C & = & Th_1 - P_1 * M / 16384 \quad \text{or} \quad Th_2 - P_2 * M / 16384 \end{array}$$